



**Speaker:** Matthias Kreck  
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Wednesday, April 11, 2012  
4:20 PM  
117 Hayes-Healy Hall

**Title:** Codes, arithmetic and manifolds

**Abstract:**

We define error correcting linear codes and explain why they do the desired job. All this looks completely harmless, things one can teach in school. To indicate that codes are very difficult mathematical objects, we associate to them a lattice in  $\mathbb{R}^n$ , which, if the codes are so called self dual codes, are unimodular. Unimodular lattices in  $\mathbb{R}^n$  are not understood and there is even no conjectural picture. Thus the same holds for self dual codes, which are only a special case of linear codes. In such a situation it might be interesting to see codes appearing in a completely different context, namely in topology. This simple relation will be explained and some basic results obtained in joint work with Volker Puppe are presented. At the end I will discuss some open problems.