

*PDE, Complex Analysis  
and Differential Geometry*



**Speaker:** **John Holmes**  
University of Notre Dame

Tuesday, February 14, 2012  
11:00 am  
258 Hurley Hall

**Title:** The Initial Value Problem for a Nonlinear Heat Equation

**Abstract:**

It is shown that the Cauchy problem of a nonlinear heat equation is locally well-posed for initial data in a class of Gevrey spaces with index  $\sigma \geq 1$ . This implies that the regularity of the solution is Gevrey- $\sigma$  in the space variable and Gevrey- $2\sigma$  in the time variable. Furthermore, the regularity in the time variable is optimal. That is, there exist Gevrey- $\sigma$  initial data for which the corresponding solution is not Gevrey- $r$ , in the time variable, for any  $1 \leq r < 2\sigma$ .