

CLUSTER ALGEBRAS SEMINAR

Speaker: Al Garver
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Date: Tuesday, February 18, 2020

Time: 12:00 PM

Location: 125 Hayes-Healy Hall

Lecture Title:

Chapoton triangles for nonkissing complexes

Abstract

For any finite real reflection group W , Chapoton defined three polynomials enumerating combinatorial objects associated with W : the F-triangle $F(x,y)$, the H-triangle $H(x,y)$, and the M-triangle $M(x,y)$. In particular, $F(x,y)$ enumerates faces of the cluster complex associated with W . Chapoton conjectured certain identities satisfied by $F(x,y)$ and $H(x,y)$ and by $F(x,y)$ and $M(x,y)$, which were later proved by Thiel and Athanasiadis, respectively. We present analogues of these three polynomials given the initial data of a nonkissing complex in the sense of Petersen, Pylyavskyy, and Speyer. The cluster complex associated with the symmetric group is a special case of the nonkissing complex. We prove the analogue of Chapoton's $F(x,y)$ and $H(x,y)$ identity and conjecture the analogue of his $F(x,y)$ and $H(x,y)$ identity. This is joint work with Thomas McConville.